

Photonics Center, Laboratory for Photoacoustics, Institute of Physics, Belgrade, Serbia



L2 – Light-matter interaction

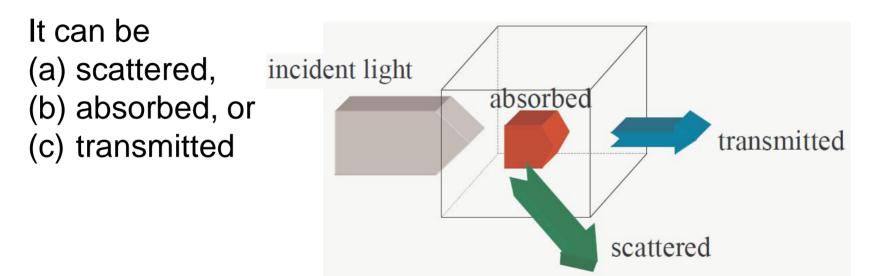
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The interaction of light with matter can take many forms.

Consider a beam of light on a material

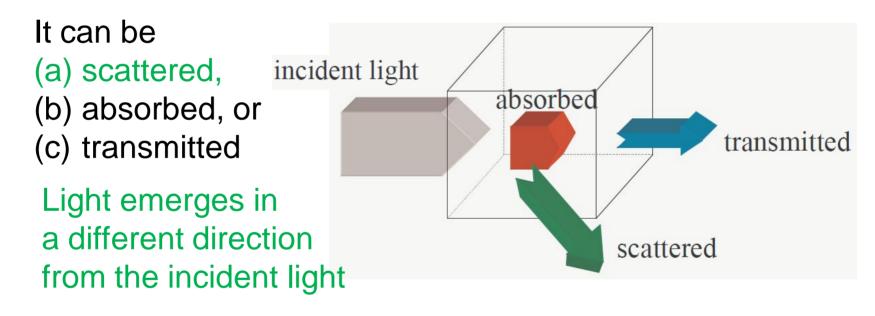






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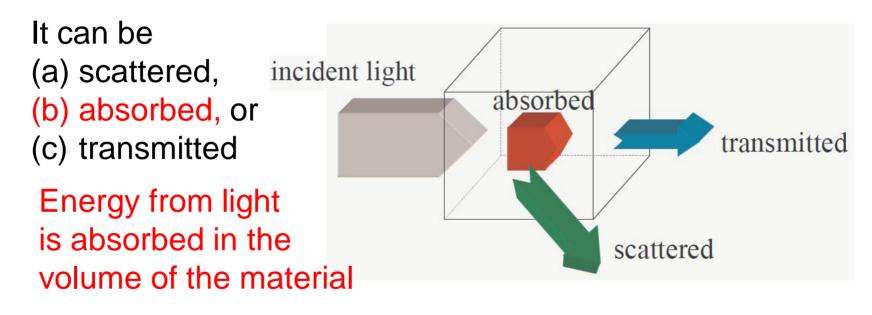






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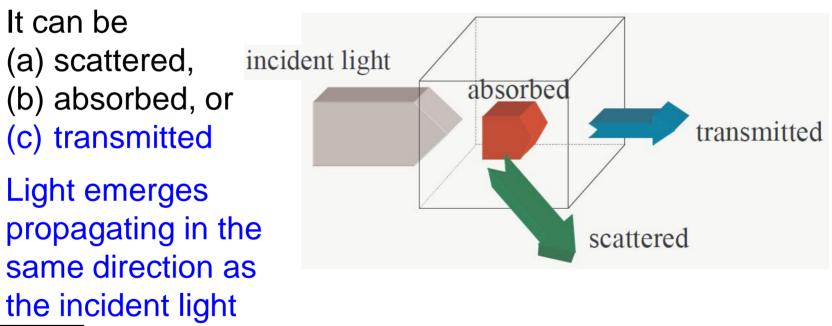






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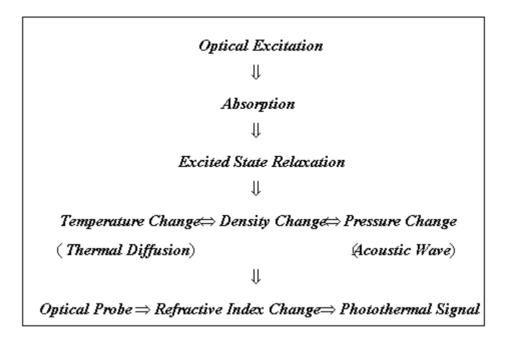
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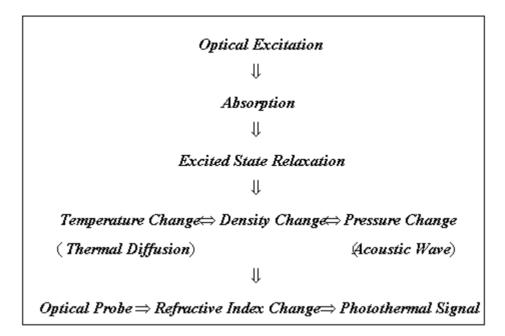


Optical radiation (light), usually from a laser or LED, is used to excite a sample. The sample absorbs some of this radiation.







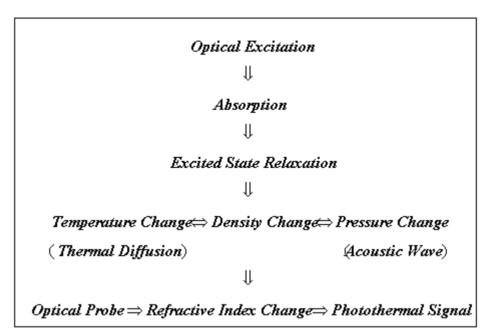


Absorption of radiation form the excitation source followed by radiative and/or non-radiative excited state relaxation







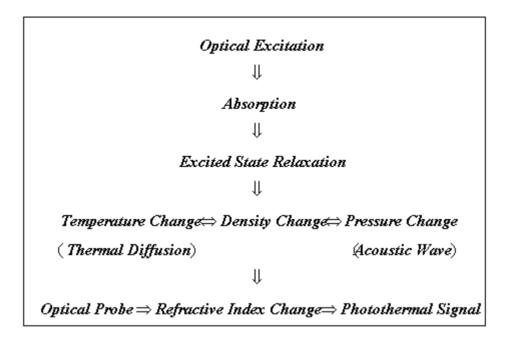


Non-radiative relaxation resulting in an increase in the internal energy. The increased internal energy results in a temperature, pressure, and density changes in the <u>samp</u>le.







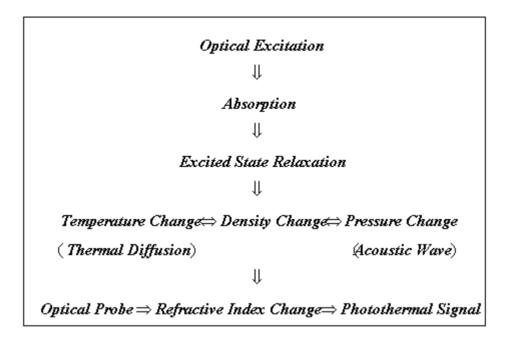


The temperature changes will induce thermal diffusion process in the sample.







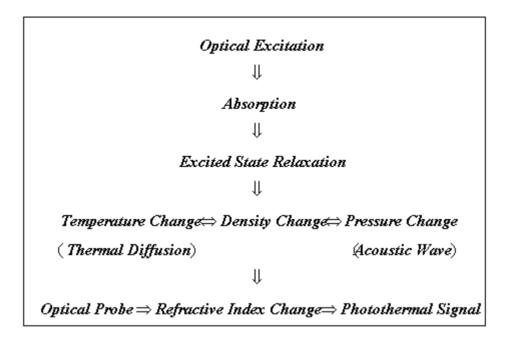


The density change is primarily responsible for the refractive index change.









The pressure change is primarily responsible for the acoustic wave generation.

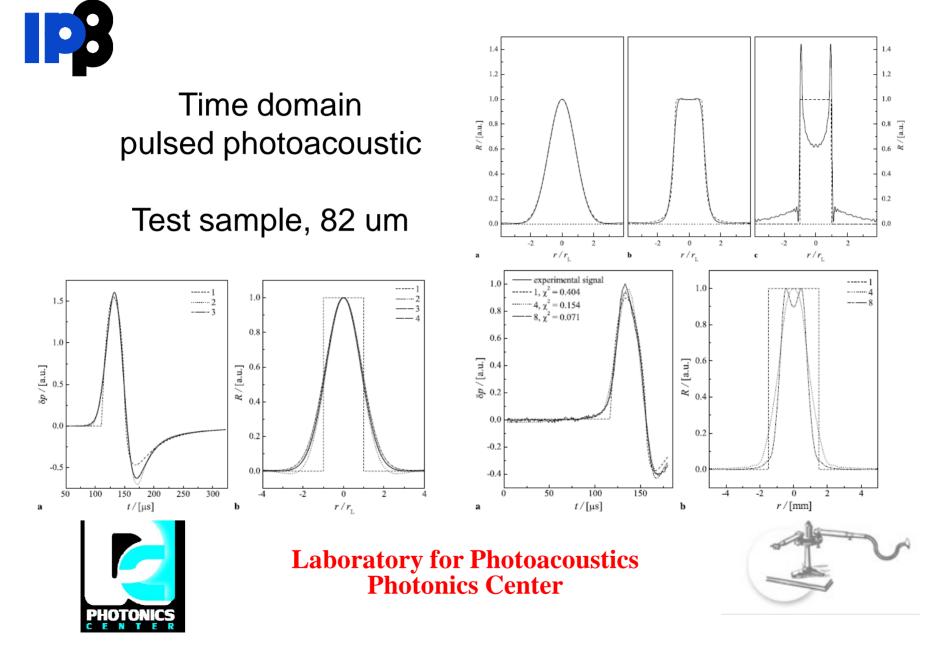




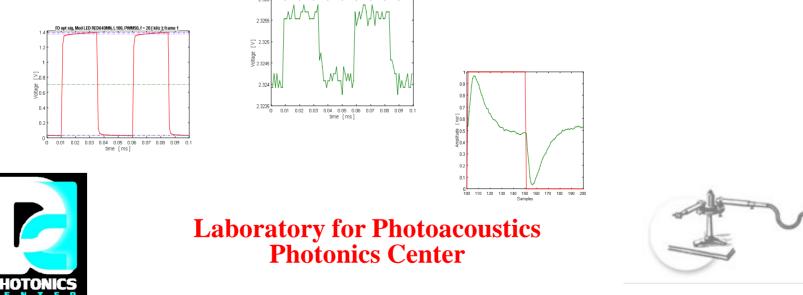
Pulsed excitation sources produce transient signals. These signals are a maximum immediately following sample excitation and decay as the sample approached equilibrium through thermal diffusion. The transient signals last from a few microseconds in the gas phase to several milliseconds in condensed phases. The time duration is inversely proportional to the thermal conductivity of the media since thermal diffusion or conduction removes energy from the sample and more importantly, distributes the energy throughout the sample.

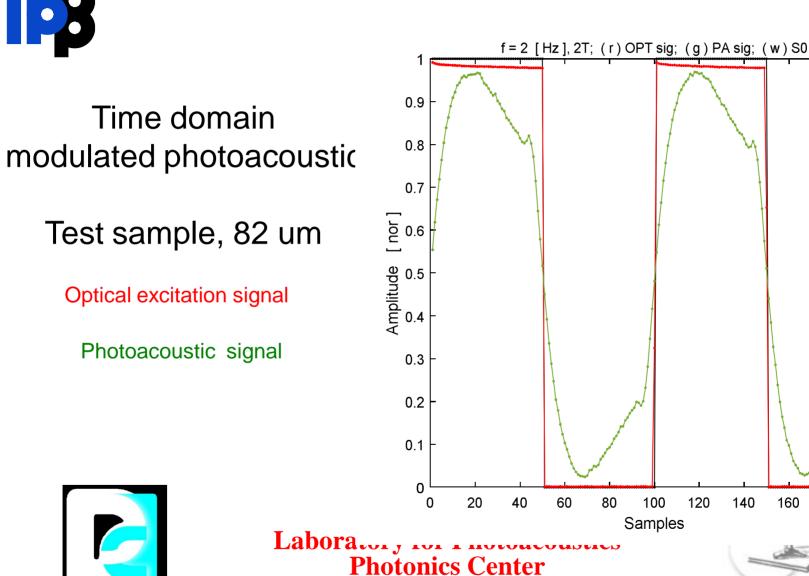




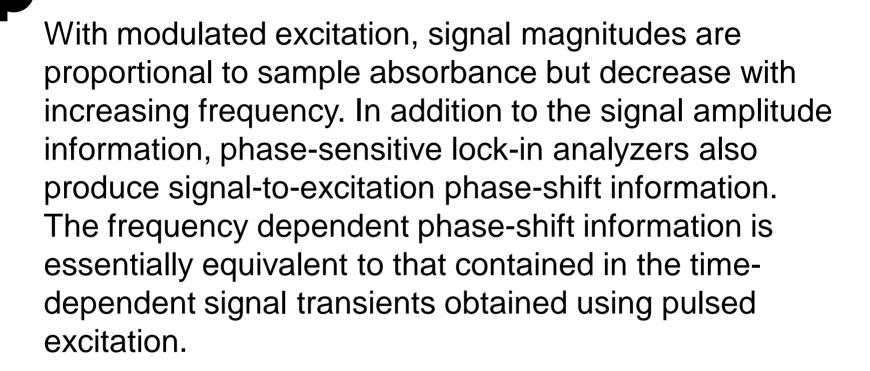


Excitation sources may also be modulated. Chopped or oscillatory excitation produces oscillating signals. The resulting signals can be processed using band pass filters or lock-in amplifiers. The magnitudes of the oscillating signals depend on sample absorbance, the frequency of excitation, and thermal conductivity of the medium.



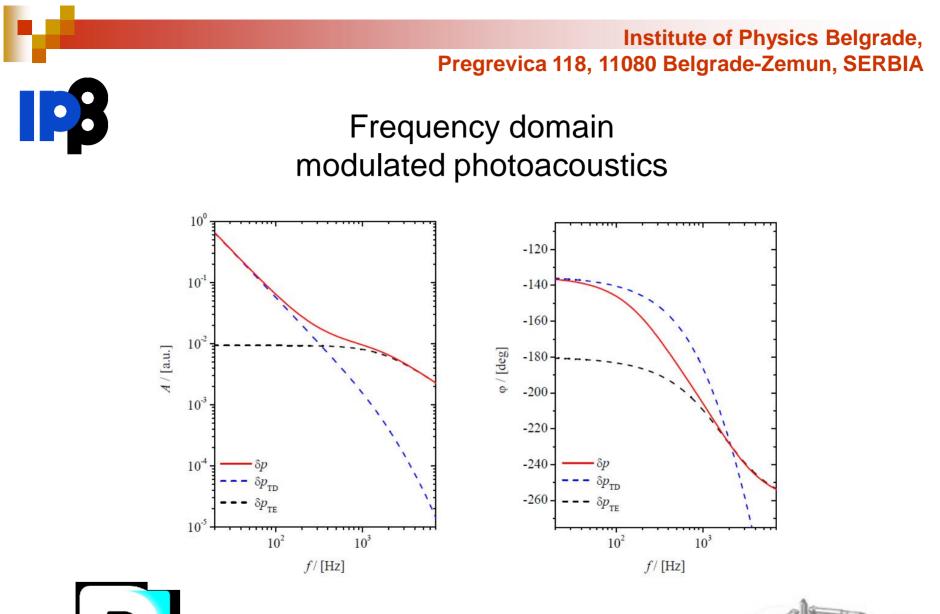
















Institute of Physics Belgrade, Pregrevica 118, 11080 Belgrade-Zemun, SERBIA $j_Q(x,t) = -k \frac{\partial T}{\partial x}$ **Sample Heating** aser beam I(x,t) $\frac{\partial j_Q}{\partial x} + \rho c \frac{\partial T}{\partial t} = 0 \qquad I = I_0 \operatorname{Re} \left(1 + e^{i\omega t} \right)$ Sample 0 x $\frac{\partial^2 T_{dc}}{\partial x^2} = 0$ Modulated $T(x,t) = T_{\rm dc}(x) + \operatorname{Re}(T(x)e^{i\omega t})$ ∂T $-\frac{i\omega}{D_T}T = 0$ ∂t $\partial^2 T$ Steady state $D_T =$ ρc **Laboratory for Photoacoustics Photonics Center**



Temperature Distributions – Surface Absorbers

 $T_{dc} = ax + b$ $T(x) = Ae^{\alpha x} + Be^{-\alpha x}$

Steady state component

Modulated component

$$\sigma = \sqrt{\frac{i\omega}{D_T}} = \frac{1+i}{\mu}$$

$$u = \sqrt{\frac{2D_T}{\omega}}$$

Thermal wave vector

Diffusion length

Total temperature

$$T(x,t) = ax + b + \operatorname{Re}\left(Ae^{i(\sigma x + \omega t)} + Be^{-i(\sigma x - \omega t)}\right)$$







Temperature Distributions – Surface Absorbers Modulated Component Calculation

$$T(x,t) = A_1 e^{\sigma_i x + i \,\omega t} + A_2 e^{-\sigma_i x + i \,\omega t}$$

a)
$$-k \frac{\mathrm{d}T(x,t)}{\mathrm{d}x}\Big|_{x=0} = I_0 e^{i\omega t}$$
 b) $-k \frac{\mathrm{d}T(x,t)}{\mathrm{d}x}\Big|_{x=1} = 0$

$$T(x,t) = \frac{I_0 \cosh[\sigma(x-l)]}{k\sigma \sinh(\sigma l)} e^{i\omega t}$$







Temperature Distributions – Volume Absorbers Modulated Component Calculation

$$D_T \frac{\partial^2 T}{\partial x^2} - \frac{\partial T}{\partial t} = -\frac{D_T}{k} \beta I_0 e^{-\beta x + i \omega t},$$

a)
$$-k \frac{\partial T}{\partial x}\Big|_{x=0} = 0$$
 b) $-k \frac{\partial T}{\partial x}\Big|_{x=l} = 0$

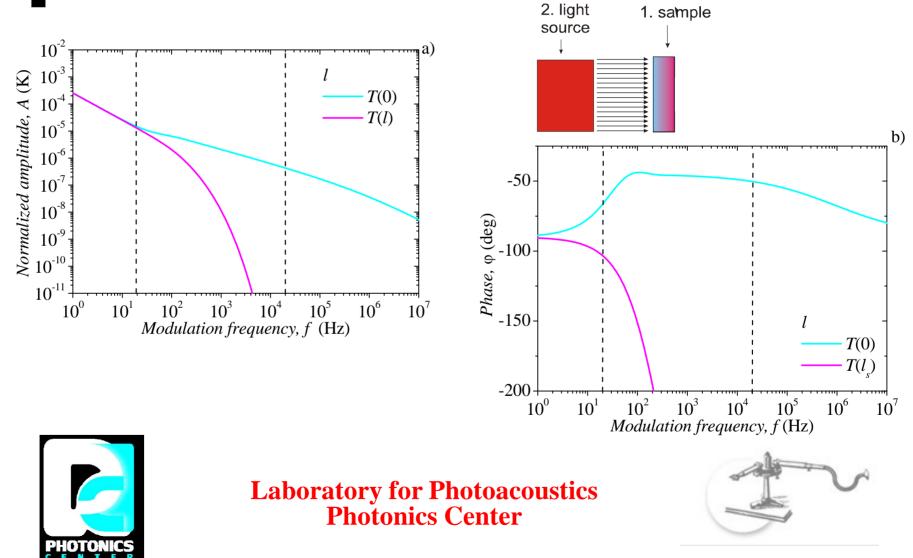
$$T_{\text{therm}}(x) = \frac{I_0}{k} \frac{\varepsilon - \varepsilon_g}{\varepsilon} \frac{\beta}{\beta^2 - \sigma_i^2} \left[b \frac{e^{\sigma_i(x-l)} + e^{-\sigma_i(x-l)} - e^{-\beta l} \left(e^{\sigma_i x} + e^{-\sigma_i x} \right)}{e^{\sigma_i l} - e^{-\sigma_i l}} - e^{-\beta x} \right]$$





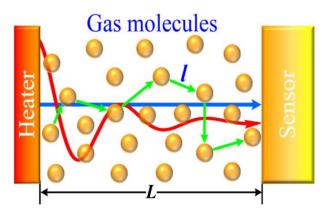


Temperature Distributions – at front (0) and back (*l***)**



B

Fourier law of heat conduction has provided extensive and successful results in the study of heat conduction and is supported by a great amount of experimental data for most of the analyzed experimental conditions. However, when very short times scales, high heat fluxes and very low temperatures are involved, the validity of Fourier approach has been questioned.

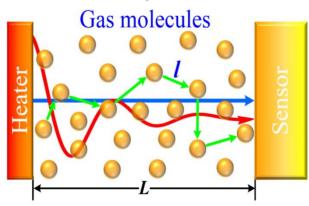






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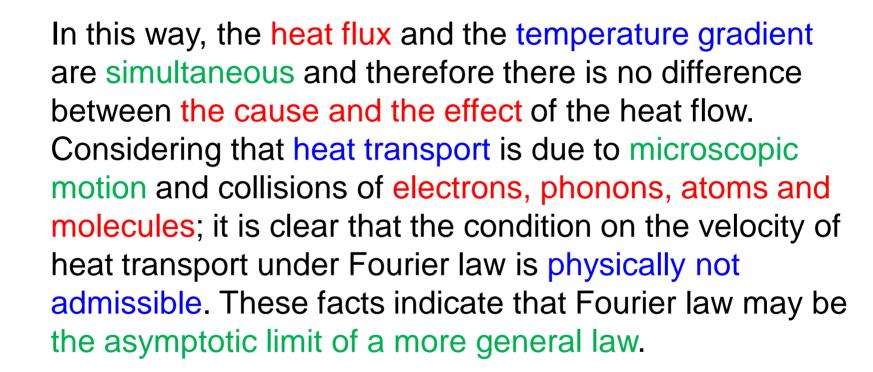
Its main drawback comes from the fact that Fourier law predicts an infinite speed of heat propagation, such that a thermal disturbance in any part of a medium results in an instantaneous perturbation anywhere else in the sample. This fundamental problem is due to the fact that Fourier law establishes explicitly that both the temperature gradient and heat flux start instantaneously when one of them is imposed over a medium.





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Fourier law

$$j_Q(x,t) = -k \frac{\partial T}{\partial x}$$

$$\frac{\partial j_Q}{\partial x} + \rho c \frac{\partial T}{\partial t} = 0$$

$$\frac{\partial T}{\partial t} = D_T \frac{\partial^2 T}{\partial x^2}$$

predicts an infinite speed (or velocity) of heat transfer (propagation) **Modified Fourier law**

$$\tau \frac{\partial j_Q}{\partial t} + j_Q = -k \frac{\partial T}{\partial x},$$

 $\boldsymbol{\tau}$ is the thermal relaxation time

$$\tau \frac{\partial^2 T}{\partial t^2} + \frac{\partial T}{\partial t} = D_T \frac{\partial^2 T}{\partial x^2},$$

$$\frac{1}{v_T^2}\frac{\partial^2 T}{\partial t^2} + \frac{1}{D_T}\frac{\partial T}{\partial t} = \frac{\partial^2 T}{\partial x^2},$$

gives the finite value of the heat transfer speed $v_T = \sqrt{D/\tau}$







It can be observed that for low frequencies $(2\pi f\tau \ll 1)$, the behavior of the spectra predicted by the Fourier and modified Fourier approach are similar, in contrast for higher frequencies $(2\pi f\tau \gg 1)$, where the modified Fourier effects are dominant.

